

RISK MANAGEMENT OF UNCERTAIN INNOVATION PROJECT BASED ON BAYESIAN RISK DECISION

Yingchun Guo

College of Mathematics & Computer Science, Hebei University, Baoding 071002, China

E-mail: guoyc@hbu.cn

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Abstract

Innovation is the inexhaustible motive force for the prosperity of one nation, and also the life source of enterprise. However, the high risks of innovation activities require managers to implement the scientific and effective innovation risk management. On the basis of a general review of the risk management of uncertain innovation project, by combining the case of innovation project, this paper discussed the quantitative risk management of innovation project based on the Theory of Bayesian Risk Decision, in the hope of providing scientific references for managers making innovation risk management decisions.

Keywords: Uncertain Innovation, Innovation risk, Risk Management, Bayesian Risk Decision

1. Introduction

Innovation is the soul of a nation's progress, an inexhaustible force for the prosperity of a nation, and the life source of enterprises (Siwei Cheng, 2009, p1-14). Without innovations, enterprises would not be able to upgrade the production structure. With weakening competitiveness, enterprises will die. However, innovation is a "double-edged sword", with characteristics of high potentials, high inputs, high returns, and high risks. Particularly, high risks from technologies, market, and management frustrate or even kill many innovation activities, which may even threaten the healthy development of human society. Therefore, to manage the innovation risks is significant.

At present, the classification of innovation project is mainly based on the innovation contents, which is divided into three types, i.e. technological innovation, product innovation, and management innovation. In perspective of risk management, this paper divides innovation project into "proper innovation", "improper innovation", and "uncertain innovation".

The "proper innovation" refers to the innovation that is beneficial to human healthy development and the harmonious development of human society, such as various new technologies and products that help to improve people's life quality and social satisfaction. All social management organizations should create the environment and conditions to actively encourage and advocate this type of innovation.

The "improper innovation" refers to the innovation that is harmful to human healthy development or the harmonious development of human society. For

example, companies may deceive the quality inspection department by replacing qualified products with fake ones or using fewer raw materials for production in order to obtain more economic benefits. All social management organizations should strictly monitor and control this kind of behaviors, forbidding this type of "innovation" completely.

The "uncertain innovation" refers to the innovation that produces unclear impacts on human healthy development and uncertain consequences on the harmonious development of human society, such as the genetically modified biotechnologies, and the use of a variety of food additives, etc. All social management organizations should strengthen the management of this type of innovation, perform the whole-process and comprehensive monitoring, establish the risk-early-warning and fast-response mechanism, and reduce the potential harms to the minimum level. This paper will focus on the risk management of uncertain innovation project.

Because of the uncertain of innovation project, it might bring about damages or bad influences on enterprises, industrial chain, or even the entire society, i.e. the risk. At present, most discussions on innovation focus on the approaches and patterns for promoting enterprises' independent innovation. Only few researches are about the innovation risk. In addition, the existing literatures usually just discuss the economic risks of innovation project, mostly from the point of the innovation project failing to reach the expected return. This paper will not only consider the economic risks, but also think about the social risks of innovation project, including the environmental

risk, human health risk, etc., from the long run. As an innovation project, its impacts are still unclear in the future. Therefore, managers should adopt a set of scientific and effective management approaches to identify problems and revise decisions immediately, in order to achieve the purpose of comprehensive risk control.

Risk decisions run through the entire process of risk management. The risk decision-making is to make decision according to incomplete information. According to the objective of risk management, with basis of risk identification and risk evaluation, make reasonable choice and combination of different risk management methods, and offer a specific program for risk management. Faced high risks from technologies, market, and management, enterprise managers should master the scientific and feasible risk decision-making method, managing innovation risks effectively. This paper is to explore the effective quantitative risk decision-making method, in order to help enterprise managers to achieve effective innovation risk management.

Bayesian approach is a powerful tool for risk decision-making (Richard Bradley, 2007; Xiaomo Jiang & Sankaran Mahadevan, 2007). Because of its simple and convenient attributes, this approach is widely applied to many fields. Due to its convenience and easiness, this approach is applying in many fields. Jacobus P. Venter and Cornelis C. V. Waveren (2009) used the Bayesian Decision technology to support the new product development management. Rajkumar Venkatesan, V. Kumar, and Timothy Bohling (2007) applied the Bayesian Risk Decision-Making Theory to the choice of customers in customer relationship management. Kwai-Sang Chin, Da-wei Tang, and Jian-bo Yang (2009) applied the Bayesian network method to the risk evaluation in new product R & D. Paul L. Reynolds and Geoff Lancaster (2007) proposed a Bayesian solution for enterprises predicting the strategic marketing management decision. Min Chen, Yusen Xia, and Xinlei Wang (2010) built a Bayesian model to achieve dynamic knowledge update, in order to deal with the supply uncertainties and risks.

However, few literatures are about applying the Bayesian Risk Decision approach to the risk management of innovation project. This paper will discuss how to use the Bayesian Risk Decision approach to perform risk management of uncertain innovation project.

2. The process of risk management of uncertain innovation project

The process of risk management of uncertain

innovation project includes five stages, i.e. risk identification, risk pre-assessment, risk decision-making, risk monitoring, and emergency-response to risk. See to Figure 1.

Risk identification refers to identify the risk sources of innovation project, such as economic risk, industrial chain risk, environmental risk, human health risk, etc.

Risk pre-assessment means: before the application of innovation project, invite some professionals to form an expert team, ask them to make a comprehensive assessment of the risk, predict the consequences, and make a feasibility analysis of the project in perspective of the potential risk.

Risk decision-making means: on the basis of comprehensive assessment of all potential risks, make relevant decisions about project inputs and operations. At this stage, we could not completely control the consequences of decision. So, it is called risk decision-making. The risk decision-making is the most key stage in the process of risk management.

Risk monitoring means: during one decision-making cycle for the trial operation of innovation project, investigate and follow the progress of the project, collect relevant data and information feedback, and monitor the positive or negative effects of the project on all social fields. According to the analysis of new information, identify problems and make risk pre-warning, adjust relevant risk decisions of innovation project in time, and achieve the purpose of risk control. Repeat the two risk management stages many times, i.e. from risk decision-making to risk monitoring or from risk monitoring to risk decision-making, we can achieve the dynamic risk management.

Emergency-response to risk means: if unexpected risk event happens during the running cycle of project, we must perform the emergency management, according to the pre-established plans for emergencies. For example, call an emergency stop to the innovation project, or make immediate product recalls. By this way, we can reduce the risk consequence to the minimum level.

3. The Introduction of Bayesian Risk Decision

Risk decision-making decision runs through the whole risk management process. By analyzing risks and losses scientifically, it can help to choose the reasonable risk management techniques and methods and finally get the most satisfying solution from several options. Every risk decision-making includes three elements: the state group consisted of different natural status, the action group consisted of a set of

actions taken by decision makers, and the description of utility or losses from different combinations of states and actions. From the three elements, we can get different risk conditions. Once the decision maker makes a decision with uncertain result, it means certain risk. The risk decision-making needs to get changeable market information by increasing inputs. Based on mastering various natural conditions in time, use the collected information reasonably, and select the decision scientifically, reducing risks, and improving economic and social benefits. In risk decision-making, the accuracy of estimation of natural conditions can directly affect the expected returns. In order to make better decision, it needs to update the information in time. After getting new information, we can revise the original estimated probability of emergence of certain natural condition, and use the revised probability distribution to make new decision. Because the probability correction is based on the Bayesian Theorem in probability theory, this decision is called Bayesian Decision.

4. The case study of innovation risk management

4.1 Three elements for innovation risk management decision

(1) The group of natural states. The comprehensive evaluation on innovation project is $N = \{N_1, N_2, \dots, N_m\}$. For instance, N_1 stands for best, N_2 stands for better, ..., and N_m stands for worst. Experts give the prediction posterior probability of each state $P(N_i), (i = 1, \dots, m)$.

(2) The group of actions. The action toward innovation project is $D = \{d_1, d_2, \dots, d_n\}$. Here d_1 stands for high investment, such as more investment in R & D, new production equipment, and new product. d_2 stands for medium investment, d_3 stands for low investment, d_4 stands for no investment in innovation.

(3) The group of descriptions of utility or losses: $U = (u_{ij})_{mn}$. Here, $u_{ij} \in [-100, 100]$ is the economic utility that can be evaluated by money, or the utility function evaluated by non-monetary factors. Here, we suggest the second meaning, because

innovation activities can not only generate economic benefits, but also social benefits, so as to bring intangible assets and long-term interests for enterprises. Here, the utility function can be measured by the satisfaction degree, such as enterprises' satisfaction degree, customers' satisfaction degree, expert scoring, and other comprehensive scores (see to Table 1).

4.2 Description of product innovation risk

Suppose there are five states of comprehensive evaluations on economic utility and social benefits of a new innovation project:

$N = \{N_1, N_2, N_3, N_4, N_5\}$. Here, N_1 stands for best, N_2 stands for better, N_3 stands for medium, N_4 stands for worse, and N_5 stands for worst. According to the data analysis of the market survey and the expert prediction, the probability distribution of each state is $P(N_1)=0.2, P(N_2)=0.4, P(N_3)=0.2, P(N_4)=0.15, P(N_5)=0.05$.

The manager has four options $D = \{d_1, d_2, d_3, d_4\}$. d_1 stands for high investment, d_2 stands for medium investment, d_3 stands for low investment, and d_4 stands for no investment. The utility of four options under different states is in Table 2.

Data description: the expected utility declines along with the diminishing prospect of market state. For instance:

u_{11} : under the condition of high investment and best market, the economic utility and social benefits reach the highest. The expected utility $u_{11}=100$; u_{21} : under the condition of high investment and better market, the economic utility and social benefits are high. The expected utility $u_{21}=70$; u_{31} : under the condition of high investment and ordinary market, the economic

utility and social benefits are medium. The expected utility is $u_{31}=50$; u_{41} : under the condition of high investment and worse market, the economic utility and social benefits are worse. The expected utility is $u_{41}=-20$. u_{51} : under the condition of high investment and worst market, the enterprise suffers from serious losses. The expected utility is $u_{51}=-100$; Here, focus on the last line. If the enterprise takes the no investment strategy, the expected utility will be negative. For instance:

u_{14} : the enterprise does not invest, though the market conditions are good. It will make the enterprise lose potential economic utility and social benefits. The expected utility $u_{14}=-80$; u_{54} : the enterprise does not make innovation investment and the market conditions are bad. Then, there is no economic benefit or social benefit. The expected utility $u_{54}=0$.

4.3 The Bayesian Risk Decision-Making process

4.3.1 Prior analysis

According to the probability of natural state and the expected utility (see to Table 2), by following the law of expectation, calculate the expected utility of each program. $E(d_j) = \sum_{i=1}^5 P(N_i)u_{ij}$, $j = 1, \dots, 4$. Accordingly, the optimal expectation for the optimal program is $\max_j E(d_j) = E(d_k) = EMU$. For instance,

$$E(d_1) = 0.2*100+0.4*70+0.2*50+0.15*(-20)+0.05*(-100)=50; \text{ similarly, } E(d_2)=55.5, E(d_3)=58.5, E(d_4)=-51. \text{ Then, the optimal decision and the}$$

optimal expected utility is $EMU=E(d_3)=58.5$. It means that the manager can take the low-investment strategy if only with the prior information.

4.3.2 Prediction posterior analysis

In prediction posterior analysis, estimate the value of complete information firstly. As the prediction of complete information is in the state N_k , it becomes the decision-making under certainty. Apparently, the optimal program is $\max_j \{u_{kj}\}$. Then, with complete information, the maximum expected utility from decision-making is:

$$EUPI = \sum_{k=1}^5 P(N_k) \max_{1 \leq j \leq 4} \{u_{kj}\} = 0.2*100+0.4*80+0.2*80+0.15*30+0.05*0=72.5.$$

Therefore, the value of complete information $EVPI = EUPI - EMU = 72.5-58.5=14$. It means the value of complete information is equal to 14 units of utility.

4.3.3 Posterior analysis

(1) Supplement new information

According to the market conditions, investigate, explore, and consult the five states X_1 (excellent), X_2 (better), X_3 (medium), X_4 (worse), and X_5 (worst), and predict which one will appear. Meanwhile, get the conditional probability $P(X_j|N_i)$, which is the probability of predicting the emergence of X_j when the natural state N_i actually appears. (See Table 3)

(2) Revise the probability

Based on the prior probability $P(N_i) (i=1, 2, \dots, 5)$

and the conditional probability $P(X_j|N_i)$ ($i=1, 2, \dots, 5; j=1, 2, \dots, 5$), calculate the probability distribution of X_j :

$$P(X_j) = \sum_{i=1}^5 P(N_i)P(X_j|N_i).$$

For

instance, $P(X_1) = 0.2*0.5+0.4*0.2+0.2*0.1+0.15*0.05+0.05*0.05=0.21$. Similarly, $P(X_2) = 0.3075$,

$$P(X_3) = 0.2475, \quad P(X_4) = 0.155, \quad \text{and}$$

$$P(X_5) = 0.08.$$

Use the Bayesian formula to calculate the revised probability of N_i , namely the posterior probability (see to Table 4):

$$P(N_i|X_j) = \frac{P(N_i)P(X_j|N_i)}{P(X_j)}, \quad (i=1, 2, \dots, 5; j=1, 2, \dots, 5).$$

(3) Posterior decision

Suppose the supplement information predicts the appearance of state X_k . Use the posterior revised probability distribution $P(N_i|X_k)$ ($i=1, 2, \dots, 5$) to calculate the expected utility of each program. By following the law of expectation, make the decision.

$$\text{Then, } E(d_j|X_k) = \sum_{i=1}^5 P(N_i|X_k)u_{ij}, \quad (j=1, 2, \dots, 5, k=1, 2, \dots, 5).$$

For instance, if the market survey shows that the market condition is X_1 , calculate the expected utility of d_k (see to Table 5).

$$E(d_1|X_1) = 0.4762*100+0.381*70+0.0952*50+0.0357*(-20)+0.0119*(-100)=77.14.$$

$$\text{Similarly, there is } E(d_2|X_1) = 68.93, \quad E(d_3|X_1) = 63.45,$$

$$E(d_4|X_1) = -65.48.$$

These results mean: if the market condition is better, the manager can take the decision d_3 , for the maximum expected utility is $E(d_1|X_1) = 77.14$.

Similarly, if the market condition is X_2 , calculate and compare the expected utility of each d_k . The

manager can take the decision d_2 , for the maximum expected utility is $E(d_2|X_2) = 68.37$. If the market

condition is X_3 , calculate and compare the expected utility of each d_k . The manager can take the decision

d_3 , for the maximum expected utility is $E(d_3|X_3) = 64.65$. If the market condition is X_4 ,

calculate and compare the expected utility of each d_k . The manager can take the decision d_3 , for the

maximum expected utility is $E(d_3|X_4) = 44.49$. If the market condition is X_5 ,

calculate and compare the expected utility of each d_k . The manager can take the decision d_3 , for the maximum expected

utility is $E(d_3|X_5) = 28.13$.

(4) Discussion: If the expected utility of risk decision is more than 50, that means the project is do more good than harm, then we can continue to promote this project; If the expected utility of risk decision is less than 50, that means the pros and cons of the project almost the same, then we can maintain the original scale and see how it behaves in the future; If the expected utility of risk decision is negative, that means the project is do more harm than good, then we should stop the project.

5. Conclusion

The risk management of innovation project is vital to the survival and the development of society, enterprise, and production chain. It is believed that the risk management of uncertain innovation project is an issue of big system. The scientific innovation risk management involves many social aspects: not only the economic risk, but also social risk; not only the short-term risk, but also the long-term risk. Some project sponsors are eager for quick success. They just care about the short-term economic interests, but not consider the long-term consequences and social risks, which might cause serious damages to the industrial chain, social environment, or even human survival. In order to avoid such kind of tragedies, all managers at different social levels should take responsibilities and perform scientific risk management of innovation project.

By combining the case of uncertain innovation project, this paper discussed the risk management of innovation project based on the Bayesian Risk Decision approach from the angle of big system. The risk management of innovation project needs to motivate all social powers to be involved, including project sponsors, related experts, government regulators, most customers, and so on. Here we should further emphasize one point, i.e. the risk

management of uncertain innovation project needs to repeat the application of the risk decision process in cycle, adjust the risk decision in time, and carry out the dynamic risk management of innovation project, in order to adapt to the constantly-changing social environment and help managers to achieve the scientific management of innovation risk.

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Figure 1. The process of risk management of uncertain innovation project

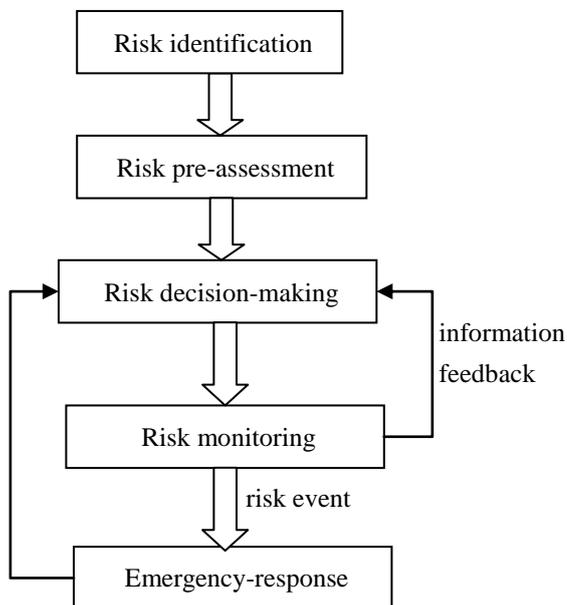


Table 1. Utility

State&probability \ Program \ Utility	d_1	d_2	...	d_n
$N_1 : P(N_1)$	u_{11}	u_{12}	...	u_{1n}
$N_2 : P(N_2)$	u_{21}	u_{22}	...	u_{2n}
...
$N_m : P(N_m)$	u_{m1}	u_{m2}	...	u_{mn}

Table 2. The expected utility of investment.

State&probability \ Program \ Utility	d_1	d_2	d_3	d_4
$N_1 : P(N_1)=0.2$	$u_{11}=100$	$u_{12}=70$	$u_{13}=60$	$u_{14}=-80$
$N_2 : P(N_2)=0.4$	$u_{21}=70$	$u_{22}=80$	$u_{23}=70$	$u_{24}=-60$
$N_3 : P(N_3)=0.2$	$u_{31}=50$	$u_{32}=60$	$u_{33}=80$	$u_{34}=-40$
$N_4 : P(N_4)=0.15$	$u_{41}=-20$	$u_{42}=10$	$u_{43}=30$	$u_{44}=-20$
$N_5 : P(N_5)=0.05$	$u_{51}=-100$	$u_{52}=-80$	$u_{53}=-40$	$u_{54}=0$

Table 3. The likelihood ratio.

Likelihood ratio $P(X_j N_i)$	X_1	X_2	X_3	X_4	X_5
$N_1 : P(N_1)=0.2$	0.5	0.2	0.15	0.1	0.05
$N_2 : P(N_2)=0.4$	0.2	0.5	0.2	0.05	0.05
$N_3 : P(N_3)=0.2$	0.1	0.2	0.5	0.15	0.05
$N_4 : P(N_4)=0.15$	0.05	0.15	0.2	0.5	0.1
$N_5 : P(N_5)=0.05$	0.05	0.1	0.15	0.2	0.5

Table 4. The posterior probability.

Posterior probability $P(N_i X_j)$	N_1	N_2	N_3	N_4	N_5
X_1	0.4762	0.3810	0.0952	0.0357	0.0119
X_2	0.1301	0.6504	0.1301	0.0732	0.0163
X_3	0.1212	0.3232	0.4040	0.1212	0.0303
X_4	0.1290	0.1290	0.1935	0.4839	0.0645
X_5	0.1250	0.2500	0.1250	0.1875	0.3125

Table 5. The posterior expected utility

Posterior expected utility $E(d_j X_k)$	d_1	d_2	d_3	d_4
X_1	77.14	68.93	63.45	-65.48
X_2	61.95	68.37	65.28	-56.10
X_3	49.49	57.37	64.65	-47.68
X_4	15.48	30.65	44.19	-35.48
X_5	1.25	13.13	28.13	-33.75